






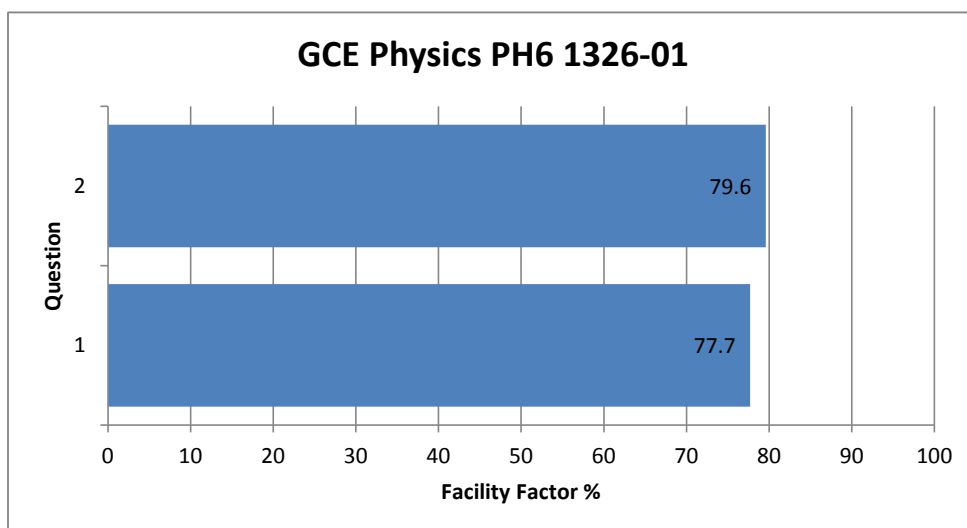


## GCE Physics PH6 1326-01

All Candidates' performance across questions

						
Question Title	N	Mean	S D	Max Mark	F F	Attempt %
1	1518	19.4	3.7	25	77.7	99.9
2	1517	19.9	3.2	25	79.6	99.9



- (c) The temperature coefficient of resistance,  $\alpha$ , of copper can be found using the equation:

$$R_{\theta} = \alpha R_0 \theta + R_0$$

where:

$R_0$  = Resistance at  $0^{\circ}\text{C}$

$R_{\theta}$  = Resistance at temperature  $\theta^{\circ}\text{C}$

$\theta$  = Temperature  $/^{\circ}\text{C}$

$\alpha$  = Temperature coefficient of resistance

Explain whether or not your graph is in agreement with the above equation.

[3]

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$$y = mx + c$$

$$R_{\theta} = \alpha R_0 \theta + R_0$$

In my graph,  $R_{\theta}$  is on y-axis and  $\theta$  is on x-axis  
intercept is  $R_0$  and gradient  $\frac{\Delta R_{\theta}}{\Delta \theta}$  which  
 $= \alpha R_0$ . So it is in agreement with this  
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[3]

Yes because the graph is linear and doesn't pass  
with the origin so we have relationship  $y = mx + c$

$y = R_{\theta}$   $x = \text{Temperature } \theta$

$c = \text{intercept with } y\text{-axis} = R \text{ at } 0^{\circ}\text{C} (R_0)$

and gradient  $m = \alpha R_0$

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$$\begin{aligned} R_{\theta} &= \alpha R_0 \theta + R_0 \\ y &= m x + c \end{aligned}$$

Yes it is as the graph is a straight line and the equation is rearranged into the  $y = mx + c$  form. Line has a y-intercept above the origin. Positive value for gradient also indicated by the equation.

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Examiner  
only


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Let the <sup>lower</sup> meter ruler at equilibrium with the distance between two vertical cotton threads is 20 cm. Rotate the <sup>lower</sup> ruler at its center of mass and take measurement of time. Then increase the distance to 30 cm, 40 cm, 50 cm, 60 cm, 70 cm and take readings of time <sup>of each distance</sup>. ~~Repeat reading~~ I choose this range of measurement to take the significant of change in time. Repeat readings twice to reduce uncertainty.

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Examiner  
only

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so  $d = 20.0 \text{ cm}$   
I will set the ruler in place and leave it for  
a minute  
I will then twist the ruler so the end points towards a fixed object and  
apply a small force to one side of the ruler and  
measure the time it takes the ruler bifilar pendulum to  
do one oscillation. I will then set it back to its original position  
again and repeat the experiment 3 times,  
averaging out the reading. I will then repeat this whole  
process 5 times, using  $d$  measurements  $20.0 \text{ cm}$ ,  $30.0 \text{ cm}$ ,  
 $40.0 \text{ cm}$ ,  $50.0 \text{ cm}$  and  $60.0 \text{ cm}$ . I will attach a pin  
to avoid parallax effect.

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$40.0 \text{ cm}$ ,  $50.0 \text{ cm}$  and  $60.0 \text{ cm}$ . I will attach a pin to avoid parallax effect.

(b) Write a plan of how you will obtain sufficient readings to investigate this relationship. [4]

1. Attach a metre ruler with a G-clip make the ruler is equilibrium.  
 2. Use two wires <sup>connect</sup> ~~connect~~ other metre ruler and make they are vertical to each other. 3. Rotate the mid-point and use the stop watch measure the period <sup>when</sup> ~~when~~ the distance of two vertical cotton threads are 20 cm, 30 cm, 40 cm, 50 cm, 60 cm, respectively. 4. Repeat the process to get mean value of period.

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- (c) Using the apparatus, take sufficient measurements to obtain a value for  $n$ . Draw a table to show your results clearly. The value of  $d$  should be in centimetres. Include the resolution of the apparatus used. [5]

Distance between supporting threads ( $d$ )/cm	In distance between threads	Period of oscillation ( $T$ ) / seconds				In mean reading of oscillation
		reading 1	reading 2	reading 3	Mean reading	
20.0	3.00	4.13	4.35	4.16	4.15	1.42
30.0	3.40	2.66	2.62	2.72	2.67	0.982
40.0	3.69	1.87	1.84	1.97	1.93	0.658
50.0	3.91	1.46	1.50	1.50	1.49	0.399
60.0	4.10	1.31	1.30	1.35	1.32	0.278

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$d/cm$	$T_1/s$	$T_2/s$	$\bar{T}/s$	$\ln d$	$\ln T$
20	3.71	3.52	3.62	3.00	1.29
30	2.42	2.51	<del>2.45</del> 2.46	3.40	0.90
40	2.0	1.80	1.90	3.69	0.64
50	1.63	1.61	1.62	3.91	0.48
60	1.62	1.40	1.51	4.09	0.41
70	<del>0.91</del> 1.00	<del>0.91</del> 1.10	<del>1.71</del> 1.05	4.25	0.54 0.05

meter ruler: 0.1 cm (1mm)

stop watch: 0.01 s

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40	2.0	1.80	1.90	3.69	0.64
50	1.63	1.61	1.62	3.91	0.48
60	1.62	1.40	1.51	4.09	0.41
70	<del>0.91</del> 1.00	<del>0.91</del> 1.10	<del>1.71</del> 1.05	4.25	0.54
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$d(\text{cm}) \pm 0.1\text{cm}$	$T(\text{s}) \pm 0.01\text{s}$				$\ln d$	$\ln T$
	$T_1$	$T_2$	$T_3$	$\bar{T}$		
20.0	4.09	3.94	4.06	4.03	3.00	1.39
30.0	2.78	2.62	2.60	2.67	3.40	0.982
40.0	2.13	1.85	2.00	1.99	3.69	0.688
50.0	1.53	1.56	1.60	1.56	3.91	0.445
60.0	1.31	1.25	1.19	1.25	4.09	0.223




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$d(\text{cm}) \pm 0.1\text{cm}$	$T(\text{s}) \pm 0.01\text{s}$				$\ln d$	$\ln T$
	$T_1$	$T_2$	$T_3$	$\bar{T}$		
20.0	4.09	3.94	4.06	4.03	3.00	1.39
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40.0	2.13	1.85	2.00	1.99	3.69	0.688
50.0	1.53	1.56	1.60	1.56	3.91	0.445
60.0	1.31	1.25	1.19	1.25	4.09	0.223